

# Introduction to continuous logic, fall 2015

## Introduction to continuous logic, fall 2015

**Teacher:** [Åsa Hirvonen](#)

**Scope:** 5 op

**Type:** Advanced studies

**Teaching:**

**Topics:** Continuous logic is a  $[0,1]$ -valued generalization of first order logic developed for the study of metric structures such as Banach spaces and operator algebras. This course gives a short introduction to the logic and its models.

**Prerequisites:** Logic I or Mathematical logic is recommended.

•

[News](#)

[Teaching schedule](#)

[Exams](#)

[Course material](#)

[Registration](#)

[Exercises](#)

- [Assignments](#)
- [Exercise classes](#)

[Logbook](#)

[Course feedback](#)

## News

- 18.12. The grading of the course is ready. The grade should show in Oodi soon. For more details, contact the lecturer.

## Teaching schedule

Weeks 44-50, Monday 10-12 and Thursday 14-16 in room B120. In addition, two hours of exercise classes per week.

## Exams

Course exam on Wednesday 16.12. at 12.00-14.30 in one of the auditoriums in Exactum.

## Course material

As course material we will use the following survey article:

I. Ben Yaacov, A. Berenstein, C.W. Henson, A. Usvyatsov, *Model theory for metric structures*, in: Model Theory with Applications to Algebra and Analysis, Vol. II, Z. Chatzidakis et al. (eds.), London Math. Soc. Lecture Note Ser. 350, Cambridge Univ. Press, Cambridge, 2008. Available via C. Ward Henson's webpage [www.math.uiuc.edu/~henson/cfo/mfms.pdf](http://www.math.uiuc.edu/~henson/cfo/mfms.pdf)

## Registration

Did you forget to register? [What to do?](#)

## Exercises

### Assignments

- [Set 1](#) (for 6.11.) exercise added 2.11. (note: some uniform continuity needs to be assumed in 1)
- [Set 2](#)
- [Set 3](#) (note: there was an error in exercise 3.2, it is now corrected)
- [Set 4](#) (note: in 5, M needs to be non-compact)
- [Set 5](#)

- [Set 6](#)

## Exercise classes

Group	Day	Time	Room	Instructor
1.	Friday	10-12	C123	Åsa Hirvonen

## Logbook

26.10. Formulas  
29.10. Systems of connectives  
2.11. Semantics  
5.11. logical equivalence, logical distance, conditions, theories  
9.11. example: the theory of probability algebras; elementary embeddings and substructures  
12.11. Tarski-Vaught Test; filters, ultrafilters and D-limits  
16.11. Ultraproducts  
19.11. The Fundamental Theorem of Ultraproducts  
23.11. Compactness  
26.11. Saturation  
30.11. more on saturation  
3.12. Implications; Types and the logic topology  
7.12. The d-metric on types  
10.12. Short glimpse on definability and distance predicates

## Course feedback

Course feedback can be given at any point during the course. Click [here](#).